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1 The Possibilities and Difficulties of  
2 Teaching Secondary Mathematics  
3 in All-attainment Groups

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5 ABSTRACT It is a well-established norm in England that secondary school mathematics  
6 is taught in groups categorised by prior attainment. It is therefore worthwhile to report  
7 alternative practices of all-attainment teaching – but these are rare. In this article, we  
8 report aspects of all-attainment mathematics teaching in a secondary school that has  
9 maintained this practice as its norm over a considerable time, including in recent years,  
10 when a hierarchical approach to measuring mathematics learning has become the norm  
11 for accountability purposes. The teaching described here takes account of the needs and  
12 progress of different students within a common curriculum focus, and we identify key  
13 principles behind it. The article is intended to contribute to a record of all-attainment  
14 grouping practices in mathematics in England, so that these practices are not lost.

15 In a recent issue of *FORUM* (2011) Anne wrote that the aims of all-attainment  
16 grouping in the teaching of secondary mathematics were not always clear, and,  
17 where they were clear, were not easy to pursue in the current climate of  
18 accountability. Methods of teaching mathematics in all-attainment groups in  
19 England range from using resource banks to guide individual pathways to using  
20 group work to solve problems and conduct investigations. Anne wrote that, for  
21 her, the key task was to enable all students to develop the forms of reasoning  
22 and fundamental knowledge that would enable them to progress in  
23 mathematical study and that this task, rather than the structure of the groups,  
24 should be the starting point for deciding how to teach. Since mathematics is a  
25 gatekeeper for so many routes to advancement, the attainment of all students is  
26 an issue that has social justice implications. Layered onto this is the national  
27 traditional expectation that certain students should make exceptionally fast  
28 progress, while others will not make much measurable progress at all. In  
29 contrast, therefore, to countries where similar progress for all is the aim and

30 expectation, teaching at secondary level in England tends to separate students  
31 according to past attainment.

32 Some schools have recently introduced all-attainment grouping in Key  
33 Stage (KS) 3 in order to lay equitable foundations for secondary mathematics,  
34 but those with whom Anne worked in the Changes in Mathematics Teaching  
35 Project (CMTP) returned to setting before KS3 assessment because of  
36 institutionalised expectations of widely differentiated levels of achievement  
37 (Watson & De Geest, 2011). By contrast, for this issue of *FORUM*, we look at  
38 some teaching of all-attainment groups in a school where this is a well-  
39 established norm for mathematics. We present Gwen's own insider knowledge  
40 and practice and examine what is possible. We discuss her practice in the light  
41 of two common criticisms: firstly, that 'mixed-ability teaching' does not  
42 necessarily provide for extension of the strongest mathematicians and secondly,  
43 that it does not necessarily transform the abilities of the least successful learners.

#### 44 **The Belper Setting**

45 Belper School was founded in 1973 as a co-educational comprehensive school  
46 in Derbyshire, originally with visionary open-plan buildings. It is now an 11-18  
47 school with about 1500 students on roll. Since it started, as an amalgamation of  
48 grammar and secondary modern schools, it has had a reputation within the  
49 education community, among local teachers, and among primary school parents,  
50 of being 'a bit right-on'. There is no uniform and teachers are called by their  
51 first names. These features, as anyone who has worked in such a context can  
52 testify, need not result in a lack of discipline, but they have some significance as  
53 the outward face of a school in which the relationships between staff and  
54 students are less formal than in many other schools. They also represent the  
55 remains of Belper School's history of being once at the progressive edge of  
56 advances in education. More significantly, but less visible to the public, Belper  
57 mathematics faculty has managed to hold on to its original commitment to  
58 teaching mathematics in all-attainment groups throughout KS3. Moreover the  
59 reintroduction of linear GCSE courses this year has led to all-attainment  
60 grouping being extended into Year 10, since the linear structure permits late  
61 decisions about tiers of examination entry. Teachers at Belper have been  
62 teaching this way for so long that, when Anne was teaching at Stantonbury [1]  
63 in 1984, Belper's mathematics faculty was already becoming a legend.

64 Gwen taught at Belper for ten years. She says that the mathematics faculty  
65 at Belper is not populated by ideologues who spend lunchtimes discussing the  
66 latest educational research. Rather they are a dozen ordinary teachers 'who  
67 happen to teach at Belper', few, if any, having come because of its all-attainment  
68 commitment. Since this is the norm at the school, people are committed to this  
69 way of organising things – and because it seems to work. Indeed, two of the  
70 staff were students at the school themselves so knew what they were coming to.  
71 The school's senior management take a hands-off approach to ideology,  
72 allowing heads of faculty the freedom to develop their own ethos within their

73 spheres of influence, rather than imposing uniform practices across the  
 74 curriculum. Indeed, the modern language faculty teach in attainment sets, and  
 75 students somehow manage the seemingly disjointed experience of moving  
 76 between these different forms of teaching.

77 It is not easy to operate an all attainment curriculum in the current climate,  
 78 although the original aim of the National Curriculum (NC) was to provide  
 79 access to the same entitlement for all. However, the NC models mathematical  
 80 knowledge as discrete chunks with a linear progression through a hierarchy,  
 81 rather than as a synoptic subject. The National Strategy, a centrally-provided set  
 82 of non-statutory guidance documents, goes further in trying to tie these chunks  
 83 to a student's age. The advisory medium term planning frameworks provided by  
 84 this strategy break this down further by suggesting the pace and timing within  
 85 which groups of learners should assimilate this knowledge. All the official  
 86 guidance documents mitigate against a holistic view of learning and assume  
 87 homogeneous, linear, fragmented learning in terms of knowledge and rate of  
 88 progress. When schools are inspected it is assumed that they will follow the  
 89 Strategy guidelines unless they can provide a substantial argument and evidence  
 90 for alternatives.

91 To move away from the curriculum structures suggested in these  
 92 documents, endorsed by many inspectors and school improvement agents, and  
 93 to deal with the pressure to produce exam results for accountability purposes,  
 94 both require confidence and even belligerence when the prevailing assumptions  
 95 are that setting and curriculum fragmentation are the only way to achieve good  
 96 results (Venkatakrishnan, 2004; Beswick et al, 2010). It would require even  
 97 more confidence, commitment and knowledge to *change* to all-attainment groups  
 98 without having had time to engage with research and academic support.  
 99 However, at Belper such grouping is well-established rather than innovative; we  
 100 now examine how it works in practice.

### 101 **How Does It Operate?**

102 KS3 schemes of work are built around the medium term plans provided by the  
 103 National Strategy, but these are used for guidance and not as straitjackets.[2] In  
 104 practice, at Belper teachers decide individually what content they can afford not  
 105 to cover, thus freeing time to spend on essential concepts in depth. With an eye  
 106 on the scheme of work, most lesson planning starts with some learning  
 107 objectives. The objectives that best fit the guidance documents for the age  
 108 group may not be appropriate for the whole class, meaning that other objectives  
 109 must be created for those who may struggle to access the concepts and also for  
 110 those who may already have a good understanding. In this respect, planning is  
 111 similar to how many teachers differentiate their teaching by having core,  
 112 extension and support goals. This process in most schools has the potential for  
 113 three times as many learning levels to be expected as there are sets, but at Belper  
 114 most variation is in the content rather than in expected 'levels' of learning. At  
 115 some point in planning, it becomes necessary to find suitable tasks and activities

116 that will provide opportunities for learners to meet the intended learning  
117 objectives. Belper has an extensive resource bank of worksheets of varying  
118 quality built up over nearly 30 years. It takes some hunting and trialling to  
119 locate relevant tasks, particularly as few commercial resources fit closely with  
120 Belper's ethos. After a time teachers develop their own preferred resource banks  
121 but there are no shortcuts for teachers new to this way of teaching. Textbooks  
122 can also be helpful in thinking through the components of a conceptual area.  
123 However, to use textbooks as a resource in this way requires them to be  
124 conceptually-focused, with contents pages and indices, and without the  
125 assumption that students would be using them in a linear fashion. This kind of  
126 textbook has long gone in the drive for measurable micro-steps of learning.

127       Resourcing the all-attainment curriculum was a central issue for the  
128 CMTTP schools who changed to this grouping in Year 7, and in those schools  
129 the researchers saw that there were no shortcuts to teachers feeling ownership  
130 of the resources. It took time and deliberate shared planning for all teachers to  
131 feel involved (Beswick et al, 2010).

### 132           **How Did Gwen Teach ... ?**

133 We now move to Gwen's report of her teaching, written in the first person.

134       My best lessons with all-attainment classes use open-ended tasks  
135 (and in this respect, the current fashion for 'rich tasks' suits Belper's  
136 style of working). If I have written the tasks myself they are often  
137 more appropriate, because they have been written specifically for a  
138 particular situation, and sometimes a particular class of children.  
139       There is a satisfying simplicity in everyone starting with the same  
140 problem, and such a situation can accelerate those that are  
141 accustomed to low attainment; even if they are not accessing the  
142 extension work directly they are observing the direction it is taking,  
143 often at a desk next to someone who is using more sophisticated  
144 methods. For example, one task is to build a tower from a cuboid, a  
145 triangular prism and a tetrahedron. For some students, designing and  
146 creating just one of these solids from card would be challenging. But  
147 I also added that each solid must use not more than one sheet of A4  
148 card, that the tower should be as tall as possible, but still self-  
149 supporting. These extra constraints, with which students can engage  
150 or not as they feel able, means that the task can be accessible and  
151 challenging to a wide range of abilities. When students peer-assess  
152 the towers at the end of the session, they can learn from each other's  
153 approaches.

154       This sort of differentiation by outcome can be used for more  
155 structured tasks as well. When investigating to find a rule for the co-  
156 ordinates of the midpoint of a line, the initial task involves just  
157 finding the midpoint of two numbers. Students then move onto  
158 finding the midpoint of two co-ordinates on a horizontal or vertical

159 line, and finally look for a rule to find the midpoint on a diagonal  
 160 line, with students choosing to move on when they feel they have  
 161 completed each task. Whilst not all students will get as far as the  
 162 final task, a finishing whole class discussion will expose the formulae  
 163 which give a different kind of access to all – formulae as tools whose  
 164 purpose is obvious to those who have worked on the simpler tasks.

165 Open ended tasks are not always possible, or desirable. When  
 166 teaching equations, for example, I enjoy asking students to write  
 167 their own equations, then put them on the board for one another to  
 168 solve. A very varied set of equations then appears on the board and  
 169 students choose which ones they want to solve.

170 Even if the task itself is quite limited, students' learning can be  
 171 extended by the addition of some probing questions to think about.  
 172 For example, students might be engaged in investigating which kind  
 173 of triangles will tessellate. By suggesting that students might like to  
 174 think about why and how their triangles tessellate and encouraging  
 175 them to write down or explain their thinking, the task is extended  
 176 enormously. When they have engaged with looking at angles at a  
 177 vertex, students might then like to think about how this extends to  
 178 the use of triangles in creating solids where the properties of angles  
 179 meeting at a vertex are no longer so clear.

180 I find group work invaluable when working with all-attainment  
 181 classes. When investigating the angles in a polygon, a group can be  
 182 given all polygons up to 10-sided to draw and find the sum of the  
 183 interior angles. This is a daunting task for one student but for a  
 184 group of four or five it is manageable; the work can be shared out so  
 185 that the more confident tackle the harder shapes. They can check  
 186 each other's work, compare results, and those who finish first can  
 187 pick up the remaining work. By having a shared results table,  
 188 patterns can be sought and all students can be confident that their  
 189 work is a valued part of the whole, whilst some can have more  
 190 insight into the results than they might by working alone. Groups  
 191 can also be organised to look at one another's work in different  
 192 ways so that they can learn from the approach of other groups as  
 193 well.

194 When, through lack of imagination, time or energy, or a  
 195 perceived need for routine practice, I feel the need to use textbooks,  
 196 I take three piles of books and ask students to choose which to work  
 197 from. I provide a quick self-assessment starter on the board on the  
 198 particular topic, and this allows me to signpost students to the  
 199 appropriate book. For example, 'If you can already do ones like this,  
 200 you should have a go at book A but leave out the first 10 questions  
 201 ... If you want more practice on these, try book B'. Students are  
 202 always free to move between books if they have made the wrong  
 203 choice, or feel ready to move on, and my responsibility is to

204 understand what learning might take place from the different sets of  
205 questions. In my classroom, students expect to help one another and  
206 work together even when working in their individual exercise  
207 books.

208 I use a regular change of seating plan as this can also expose  
209 capabilities that would not otherwise be recognised, simply because  
210 of the working dynamics of the particular grouping of students.

211 Once students are engaged in the task, I will often suggest  
212 certain directions for particular students to explore.

213 All students are therefore immersed in the same spectrum of  
214 activity, exposed to other ways of working than their own. Gwen's  
215 account amply demonstrates how extension and enrichment of the  
216 work being done by everyone provides opportunities for the  
217 development of high-achieving students. However, we need to  
218 address the possible Vygotskian criticism that being present in an  
219 environment that provides the possibility for new ways of thinking  
220 is not enough on its own to transform capabilities – there needs to  
221 be interaction with the teacher. Gwen poses the question: Is it  
222 possible that, as a teacher, I engage in fixed ability thinking, judging  
223 what a child is capable of in advance of their work?

224 Undoubtedly this happens at times, but a critical aspect of my all-  
225 attainment teaching is to give most of the responsibility to the  
226 students in deciding what level they should be working at. Often I  
227 will make the extension work available to all, publically signposting  
228 it on the board or on written materials. Learners can choose whether  
229 they feel ready to tackle it in this particular topic, on this particular  
230 day, with this particular partner.

231 In this respect, her teaching of secondary mathematics is similar to some of the  
232 practices reported throughout Wroxham School (Swann et al, 2012), namely  
233 giving students *choice* while informing them about *challenge*.

234 Whilst a teacher might be making judgements about challenge as well as  
235 other interventions, there is also space for a student to achieve highly on one  
236 area of mathematics while needing to do more basic work on another. Two of  
237 Gwen's students Ron and Joe in Year 7, for example, really excelled at  
238 algebra.[3] Whenever they tackled algebraic work they confidently manipulated  
239 level 6 material. However, later in the year they were set the challenge,  
240 mentioned previously, of building a tower from three solid shapes. Ron and Joe  
241 found this task immensely difficult and did not have the strategies to manipulate  
242 their 3D visualisation onto the 2D piece of card. Their final work would have  
243 been assessed as level 4. This sort of variation in attainment within individual  
244 students' work across mathematics is not unusual and is easily manageable in a  
245 mixed-attainment setting. Students whose pace of attainment varies dramatically  
246 over time can also easily be accommodated. For example, Jill was assessed at  
247 level 2 in maths at KS2 and then went on to achieve at level 6 at KS3, gaining a

248 C at GCSE. If Jill had been put in a bottom set at the beginning of Year 7, as  
 249 she would have been at some schools, the outcome would probably have been  
 250 very different. These stories highlight the need for *openness about expectations*  
 251 both across mathematics and also across time. In other words, these all-  
 252 attainment groups provide the raw material and the time and space for  
 253 transformation.

254 It is possible, using methods like Gwen's, to provide meaningful  
 255 mathematics lessons that are cognitively challenging for a broad spectrum of  
 256 students. This is a desirable aim if the purpose of teaching mathematics is that  
 257 the majority of students should engage in authentic mathematical ways of  
 258 thinking and make progress in solving problems using mathematics. However,  
 259 it is much more difficult to cover the broad spectrum of declarative and  
 260 procedural knowledge prescribed for various attainment levels to be reached in  
 261 national tests. Some students may need to spend time revisiting earlier topics to  
 262 consolidate their understanding while others may need to learn brand new ideas  
 263 in order to achieve the highest possible levels.

264 Before the abolition of KS3 SATs, which were a measure of attainment  
 265 levels used to compare schools, there was usually a handful of students in  
 266 Gwen's Year 9 classes who would be capable of learning ideas such as standard  
 267 form or trigonometry; this would be required in order to show the school in its  
 268 best light, as well as being an entitlement for those students. But the class could  
 269 become fragmented with these students studying from textbooks, with  
 270 occasional episodes of help. Some teachers would arrange after-school classes to  
 271 cover such topics. Another element of fragmentation could be that students who  
 272 had not yet mastered basic mathematical techniques would be unable to fully  
 273 consolidate these before being offered higher level opportunities. However,  
 274 when such students were encouraged to engage with more complex  
 275 mathematical reasoning, they often stayed interested in mathematics for longer  
 276 than if they had faced several repetitions of basic techniques – an approach to  
 277 learning that becomes associated with feelings of failure. In studies of teachers  
 278 working holistically with previously low attaining students, there is evidence of  
 279 increased engagement and effort (Watson et al, 2003) in contrast to the usual  
 280 loss of enjoyment experienced at KS3 (Sturman et al, 2008).

281 It is this difficulty in addressing the topics associated with different levels  
 282 that has led to the widespread rejection of all-attainment groups in the face of a  
 283 national curriculum with a hierarchical structure. High-attaining students have  
 284 been expected to study higher level topics, rather than being encouraged to  
 285 work with more depth on the same content as everyone else.

### 286 **Students' Expectations**

287 This brings us to an important reflection on the culture of mathematics lessons  
 288 at Belper School.

289 I give students a large degree of responsibility for making sure that  
 290 they are working at a level where they feel sufficiently stretched and

291 supported. With a new class (particularly in Y7), this is a new  
292 learning culture, so it takes some time for students to get used to;  
293 when offered tasks of differing difficulty, many start by opting for  
294 the easiest. Most students quickly recognise that this results in  
295 boredom and soon begin to want to show what they are fully  
296 capable of achieving.

297 I have observed that some students will extend work themselves  
298 by looking more deeply into the structure of a problem they are  
299 working on. Students like this make the teacher's job much easier, so  
300 as a teacher I was interested in how to get more students to be able  
301 to think like this. It was often the focus of a conversation I would  
302 have with students at parents' evening if it was suggested they were  
303 not being 'stretched'. A skilful teacher will also be able to capitalise  
304 on the expertise of students who can work like this by making their  
305 probing questions public so that others can consider them. They can  
306 also be asked to explain their understanding. This sort of exposure  
307 can model to other students how they might be able to extend their  
308 own thinking and ask their own questions. Similarly, as the expert in  
309 the classroom, I model probing questions myself so that students  
310 have an accessible repertoire.

311 Copying work from someone else without understanding rarely  
312 happens at Belper – students can see that there is little point when  
313 their focus is on learning.

314 Again, these comments are similar to those made about The Wroxham School,  
315 by both staff and pupils.

316 The lack of copying was something Anne found both at Stantonbury and  
317 at Peers School. If there are regular conversations between teacher and students  
318 about their work and their understanding, and if the work being handed in to  
319 be marked has been created during lessons with teacher interaction, there is no  
320 reason to copy, but also no way to hide any copying. Anne reports being  
321 mystified when coursework at GCSE was criticised as giving too much  
322 opportunity for copying, because if mathematical work is ongoing continuously  
323 in class and home, and students have to explain it, inauthentic work is  
324 immediately exposed. On the other hand, when coursework deteriorated into a  
325 formulaic requirement so that there was no room for originality, this advantage  
326 was lost and copying became more frequent.

327 We could explain students' choices in terms of theories which connect  
328 engagement with self-efficacy, self-concept, views of intelligence and  
329 attribution, but in practice teachers do not need to theorise, beyond recognising  
330 the need to work continuously on developing students' choice of challenge. The  
331 concepts about self that are relevant when expecting autonomous engagement  
332 in traditional tasks are less relevant when inducting students into a culture of  
333 choice, because:



334 as the teacher I can work continuously on helping students learn to  
 335 choose. I would at times suggest that a student might want to try  
 336 something more difficult (or easier).

337 Another aspect of Gwen's teaching and other similar mathematics teaching is  
 338 that there is no final answer that signals the desirable end point. If the  
 339 classroom has a *coherent, sustained, learning culture* rather than an answer culture,  
 340 students will soon adopt it. The culture of doing mathematics towards a unique  
 341 answer is, however, ubiquitous. It is recognised by textbook publishers who  
 342 omit answers from the student books, and reified by assessment methods that  
 343 focus on short answers to routine questions. In our teaching, we prefer answers  
 344 to be given so that students can diagnose their own errors and put them right,  
 345 and maybe use answers as a starting point for new questions. Fortunately,  
 346 mathematics always contains its own authority so there are usually ways for  
 347 autonomous students to check answers themselves when answers are required.

348 Developing a *collaborative culture* is critical to allowing all-attainment  
 349 groups to work with only one teacher in the classroom. One teacher we know  
 350 expects students first to use their brains, then look in a book, and finally ask  
 351 their friends, before they ask the teacher for help. As Anne said in her previous  
 352 article (Watson, 2011) transforming how students think is ultimately the  
 353 teacher's responsibility, but so is the development of *autonomy and independence*,  
 354 which includes knowing when, why and how to practice procedures.  
 355 Continuing choice into the need to practice procedures, both of us used  
 356 textbooks sometimes to provide such practice, but current textbook authors do  
 357 not seem to understand how to structure sets of questions in order to generate  
 358 either fluent procedural knowledge and/or conceptual enquiry.

### 359 **All-attainment Teaching and Institutional Support**

360 The complicated balancing act required to plan lessons makes teaching in an  
 361 all-attainment setting difficult and challenging, especially for new teachers who  
 362 have not yet built up a bank of resources or confidence in their own ability to  
 363 orchestrate and juggle multiple pathways of learning. Added to this is the extra  
 364 insecurity of not 'fitting in' with the accepted prevailing culture of emphasising  
 365 exam results in a particularly prescriptive and formulaic way. Anne comments  
 366 that some new teachers who want to teach like Gwen, even in classes grouped  
 367 by prior attainment, have problems finding schools that will support their  
 368 efforts to do this. There has to be support from above and below and both sides  
 369 to make it work, and at Belper it works because 'this is the way we do things'.  
 370 Support and sharing of resources and ideas between colleagues are essential and  
 371 this is always the first agenda item at Belper department meetings, as well as  
 372 taking place informally. This pattern of deliberate discussion of tasks emerged  
 373 in the three schools Anne researched; in particular, there was a shift from  
 374 assuming a task could be expected somehow to ensure a particular learning  
 375 outcome, to thinking instead about how students would learn while doing it

376 and hence about the associated pedagogy (Watson & De Geest, **forthcoming**  
377 **UPDATE?**).

378 At Belper there is support within the department, but beyond that there  
379 are no local non-setted schools for collegial support, and no formal links with  
380 those in the academic world who advocate the approach. Within the school, the  
381 department is expected to conform to the belief that ‘every child should know  
382 what level they are working at and how to get to the next level’. Indeed  
383 teachers are required to assign a sub-level to students three or more times per  
384 year. Belper’s maths teachers are caught between trying to develop a structure  
385 of mathematical learning that can allow every child to develop at their own  
386 pace in different spheres of the maths curriculum, whilst simultaneously having  
387 to measure and assign numerical levels to those same children.

388 When KS3 SATs were abolished, Belper abandoned all formal testing in  
389 KS3 but simultaneously the demands from outside to assign levels were  
390 increased. The school developed a time-consuming system of Assessing Pupil  
391 Progress (APP) [4] that has all the right intentions of enabling teachers to adapt  
392 their work continually to students’ understanding. Essentially however, any such  
393 system that micro-records every step of learning for individuals is liable to  
394 embody teacher judgements much of the time, because of the pressures under  
395 which it is constructed, and because of the difficulty of making judgements  
396 about a subject that is synoptic rather than hierarchical. Even when – and if –  
397 the discourse of ‘levels of attainment’ is removed in the current reform of the  
398 NC, the power of the accountability discourse in education is unlikely to lessen;  
399 teachers will continue to need to find a way to operate between this dominant  
400 official discourse and their personal *discourse of inclusivity*. The negative effects of  
401 the grip of the ‘assessment for learning’ discourse may be hard to escape,  
402 associated as it has become with tracking hierarchical steps. In addition,  
403 students can become confused about being on the one hand included in the full  
404 curriculum, but on the other being told about their lack of, or partial,  
405 achievement.

## 406 **Conclusion**

407 This report of one teacher’s practice shows that a *discourse of inclusivity*, focusing  
408 on *choice, challenge, autonomy, collaboration* and *learning environments* is possible to  
409 sustain, even within the current accountability and linear hierarchical structures  
410 of curriculum and assessment. The article is not a review of research into all-  
411 attainment groups in mathematics, because the effects of grouping are  
412 dependent on teaching methods, and in this article we have focused on  
413 describing one particular approach. However, it is noticeable that Gwen’s  
414 methods relate closely to what has been reported elsewhere (Ollerton &  
415 Watson, 2001; Swann et al, 2012) and the difficulties and key features of the  
416 way the department works are also in tune with other reports (see  
417 www.cmtf.co.uk). This article therefore offers a framework, derived from

418 established practice, for thinking further about how to extend all-attainment  
419 teaching in secondary mathematics.

420 The positive benefits extend to teachers as well as to students. There are  
421 benefits for the teacher in being surprised when students exceed what might  
422 normally be expected of them, or get particularly excited by pieces of  
423 mathematics that they might not otherwise have encountered. For Gwen,  
424 observing children of differing attainments working together using each others'  
425 strengths and interests, and helping each other to progress, was very exciting.  
426 We are not claiming that this approach is perfect, however. Belper, like many  
427 other schools, has a gender gap in achievement wider than the national average  
428 in mathematics; one possible reason is that boys have been less able to reach the  
429 high standard of self-directed effort and learning that is, in general, achieved by  
430 girls. Early experiences of the need for, and rewards of, self-direction, such as  
431 those embedded at Wroxham School, might help overcome that difference.

432 Finally, all students at Belper experience secondary mathematics in rich  
433 learning environments, rather than some students being relegated to groups in  
434 which there are fewer available learning skills, fewer available mathematical  
435 challenges, and possibly less mathematics teaching expertise.

### 436 Notes

437 [1] Also with first names for teachers and no uniform.

438 [2] The advisory medium term plans have now been abandoned by the coalition  
439 government, but many schools still use them through familiarity and perceived  
440 usefulness.

441 [3] All students' names have been anonymised.

442 [4] APP is a non-statutory advisory approach to keeping records of individual  
443 student learning at the level of individual items of knowledge and capabilities,  
444 intended to focus teacher assessment on specific learning.

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